#### Improving the performance of Atomic Sections Khilan Gudka

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### Background

The multi-core revolution has made concurrency a hot topic

Programmers are now forced to think about it for performance

But shared memory concurrency is hard!

### Where we are: we use locks

Problems

Not composable

Introduce deadlock

Break modularity

Other problems: priority inversion, convoying, starvation...

#### Atomic sections

What programmers probably can do is tell which parts of their program should not involve interferences

Atomic sections [Lomet77]
 Declarative concurrency control
 Move responsibility for figuring out what to do to the compiler/runtime

atomic {
 ... access shared state ...

#### Atomic sections

Simple semantics (no interference allowed) Naive implementation: one global lock But we want to allow parallelism without: Interference

Deadlock

#### Transactional memory

Very hot research area – lots of papers! [For review of work up until 2006, see Larus06]

Advantages

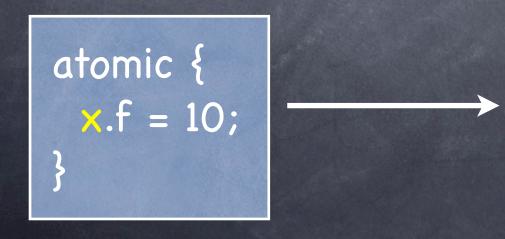
No problems associated with locks
 More concurrency
 Disadvantages
 Irreversible operations (IO, System calls)

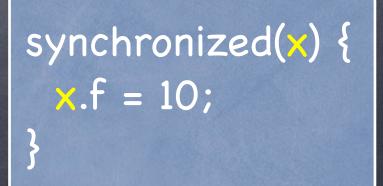
Run-time overhead

#### Lock inference

Statically infer the locks that are needed to protect shared accesses

Insert lock()/unlock() statements for them into the program to ensure atomic execution





### Lock inference

Challenges

Maximise concurrency
Minimise locking overhead
Avoid deadlock

# Restriction for atomicity: Two-phase locking

atomic { lock(A); lock(B); unlock(B); unlock(A); ...

atomic { lock(A); unlock(A); ... lock(B); unlock(B); ...

#### Correct

Wrong

### Locking granularity

- To maximise parallelism, locks should be as fine-grained as possible
- The granularity of locks depends on the compile-time representation of objects
- Lvalues (e.g. x.f) allow per-instance locks when each object has its own lock (e.g. Java)
- During my masters, we developed an analysis to infer lvalues and it was published in CC'08 [Cunningham08]

#### Finite State Automata

A compact compile-time object representation
Represents a possibly infinite set of lvalues
Our analysis flows automata around the CFG

$$\{y\} = - 0 - 1$$

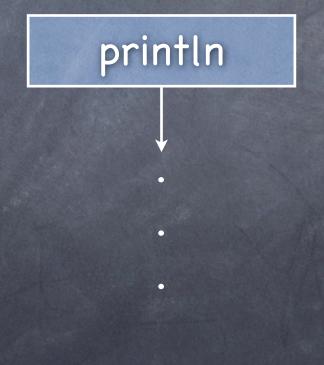
{ n, n.next, n.next.next, ... } =  $\rightarrow 0^{n} 2$  .next

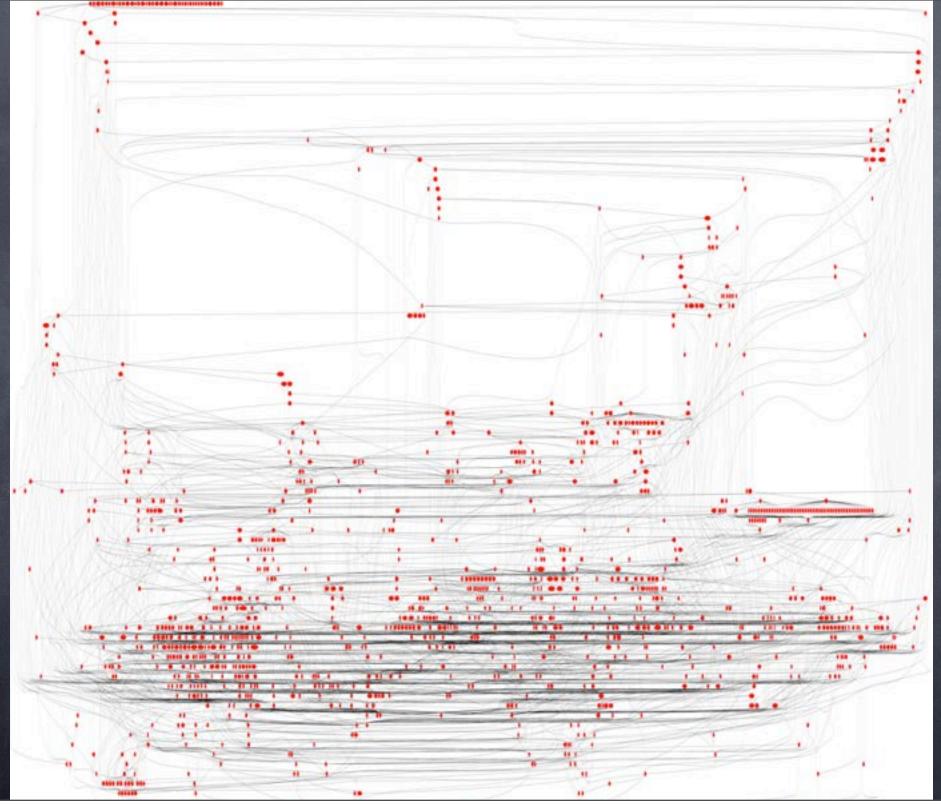
### Scaling to Java: "Hello world"

atomic {
 System.out.println("Hello World");

### Scaling to Java: "Hello world"

Call graph:





### Scaling to Java: "Hello world"

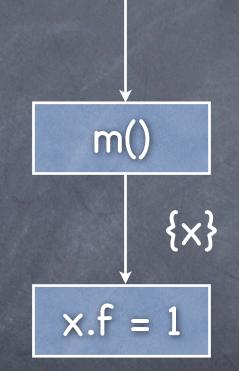
This work doesn't scale

We switch to computing summaries

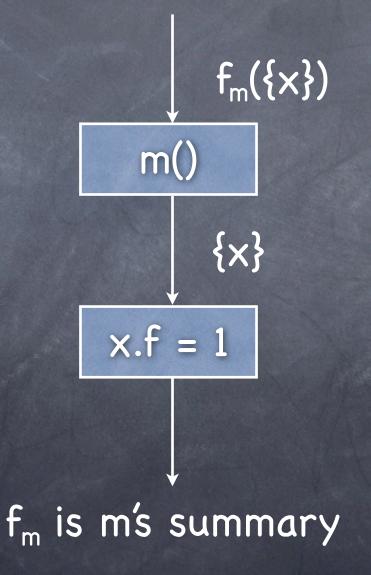
A summary is a function that describes how a method as a whole translates dataflow information

Summaries are also context-sensitive but can scale better

### Method summaries



### Method summaries



### Computing summaries

- Define, for each statement, transfer functions describing how they translate dataflow information
- Compose them into one large transfer function for the entire method by flowing them through the CFG using a normal dataflow analysis
- Summaries can get large: challenge is to find a representation of transfer functions that allows fast composition and meet operations

#### IDE Analyses

Interprocedural Distributive Environment [sagiv96]

Dataflow facts are functions of type D -> L, called environments

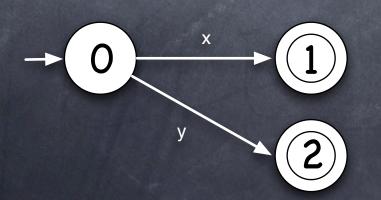
Transfer functions are called environment transformers

 Advantage: efficient graph representation of environment transformers exists that allows fast composition and meet [Reps95,Sagiv96,Rountev08]

### Reformulate our Ivalue analysis

 Step 1: Express automata as environments (functions of type D -> L)

 We represent automata as functions from transition labels to sets of pairs of states (of the transitions for those labels)



[x -> { (0,1) }, y -> { (0,2) }]

Step 2: Define environment transformers
 (i.e. the transfer functions)

They describe how the 'outgoing' environment is computed from the 'incoming' environment

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They describe how the 'outgoing' environment is computed from the 'incoming' environment

$$\begin{array}{c} x = y \\ x = y \\ x = y \\ x = y \\ y = y$$

 $\begin{bmatrix} x & -y & \emptyset \\ y & -y & \{ (0,2), (0,1) \} \end{bmatrix} \\ x &= y \\ \begin{bmatrix} x & -y & \{ (0,1) \} \\ y & -y & \{ (0,2) \} \end{bmatrix}$ 

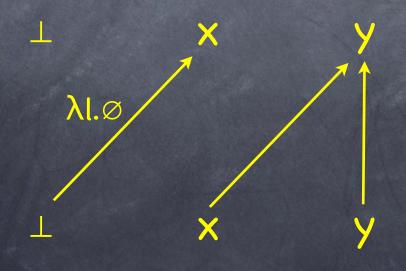
 $\begin{bmatrix} x & -> \emptyset \\ y & -> \{ (0,2), (0,1) \} \end{bmatrix} \\ x = y \\ \begin{bmatrix} x & -> \{ (0,1) \}, \\ y & -> \{ (0,2) \} \end{bmatrix}$ 

 $t_{[x=y]} = \lambda e.e[y->e(y)Ue(x)][x->\emptyset]$ 

# Environment transformers (as in [Sagiv96])

These transformers can be represented as graphs

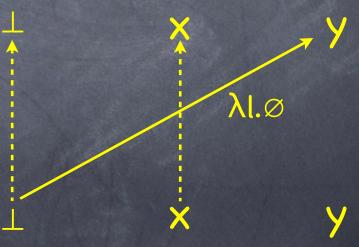
 $t_{[x=y]} = \lambda e.e[y->e(y)Ue(x)][x->\emptyset]$ 



# Environment transformers (as in [Sagiv96])

Graphs are kept sparse by not explicitly representing obvious edges

 $[x \to \{ (0,1) \} \\ y \to \emptyset]$ y = null  $[x \to \{ (0,1) \} \\ y \to \{ (0,2) \}]$ 



# Environment transformers (as in [Sagiv96])

- Transformer composition is simply the transitive closure
- Implicit edges should not have to be made explicit as that would be expensive
- But determining whether an implicit edge exists is costly in [Sagiv96] for our analysis

λl.Ø

We represent kills in transformers as:

 $\lambda e.e[x \rightarrow \emptyset]$ 

 $\mathbf{X} \longrightarrow \emptyset$ 

 Our lvalues analysis mostly rewrites lvalues, hence we change the meaning of transformer edges to pass on but also implicitly kill:

 $\lambda e.e[y->env(y)Uenv(x)][x->\emptyset]$ 

 $X \longrightarrow Y$ 

Result: implicit edge very easy to determine. This leads to fast transitive closure

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 $\begin{array}{c} x \longrightarrow \varnothing \\ \lambda e.e[x \rightarrow \varnothing] \end{array}$ 

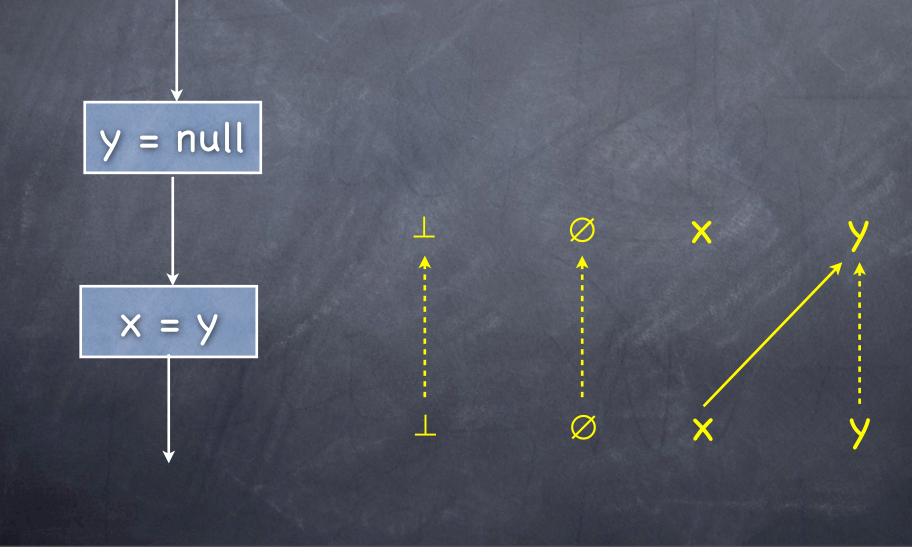


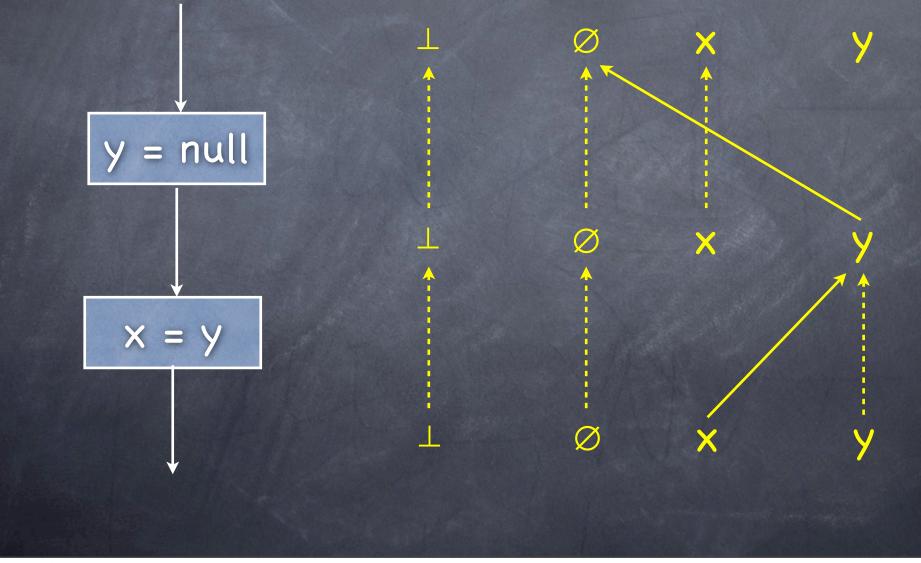
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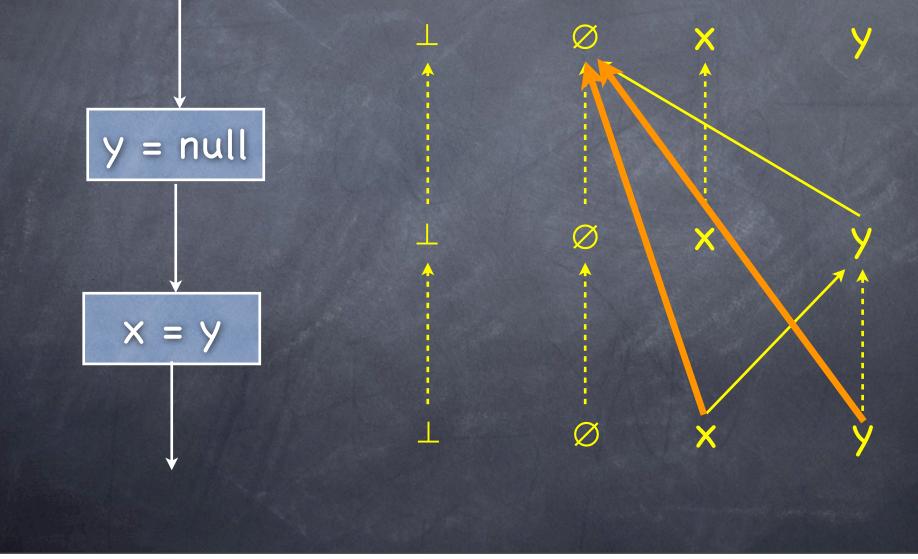
 $\lambda e.e[y->env(y)Uenv(x)][x->\emptyset]$ 

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#### Implementation

Implemented in the Soot bytecode analysis framework and am experimenting with small programs at present

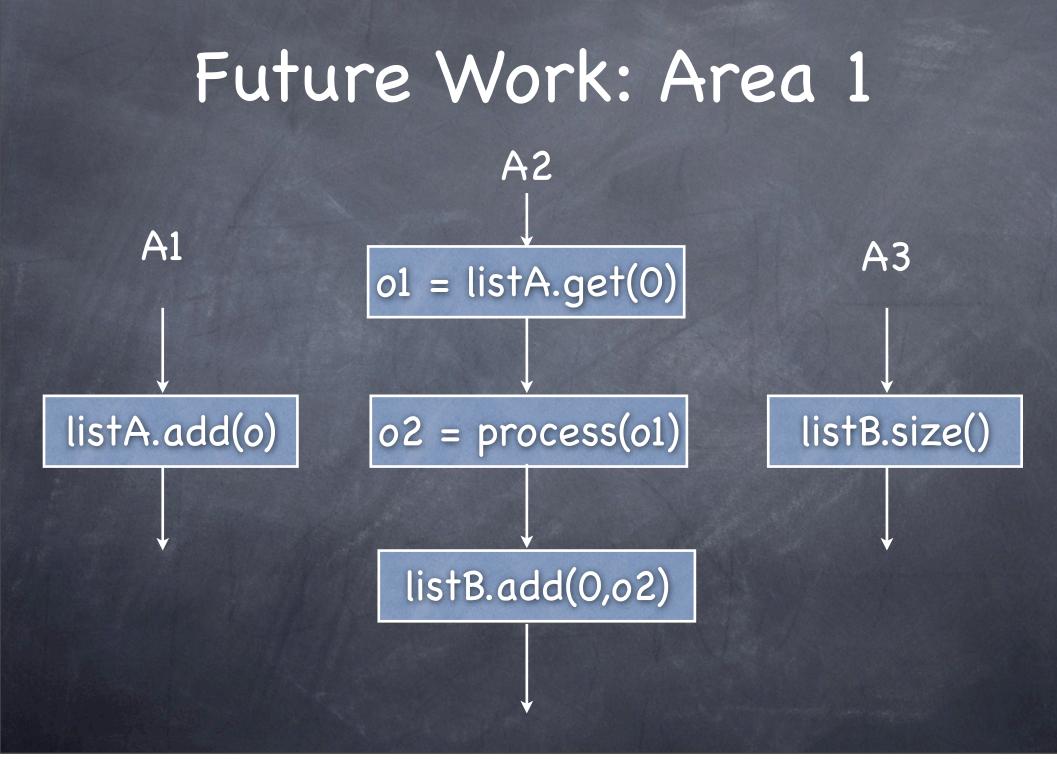
Implementation identifies strongly connected components (SCC) and propagates summaries up the SCC-DAG

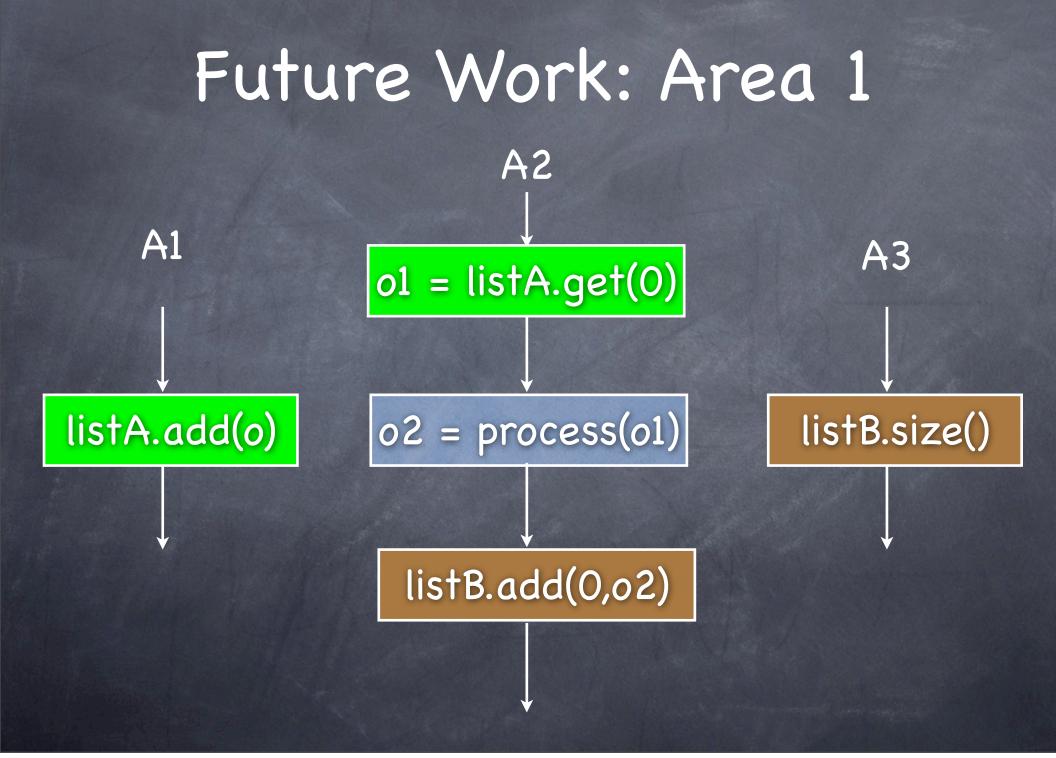
#### Future Work: Area 1

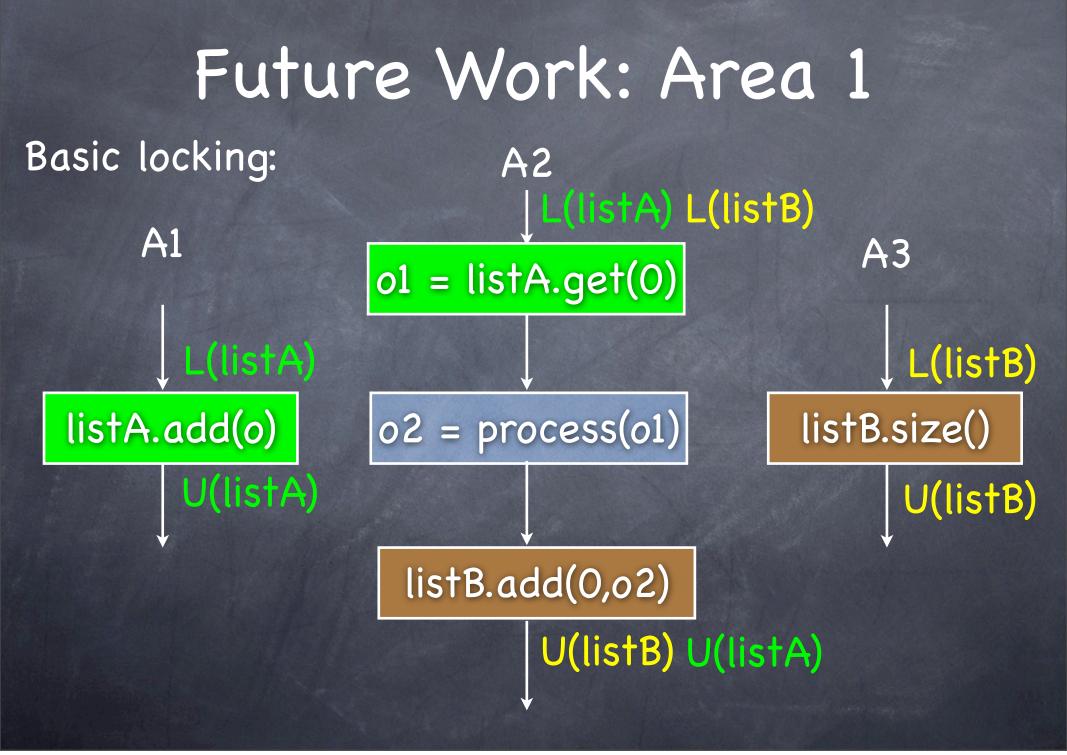
 Maximise concurrency between atomic sections that only partially conflict

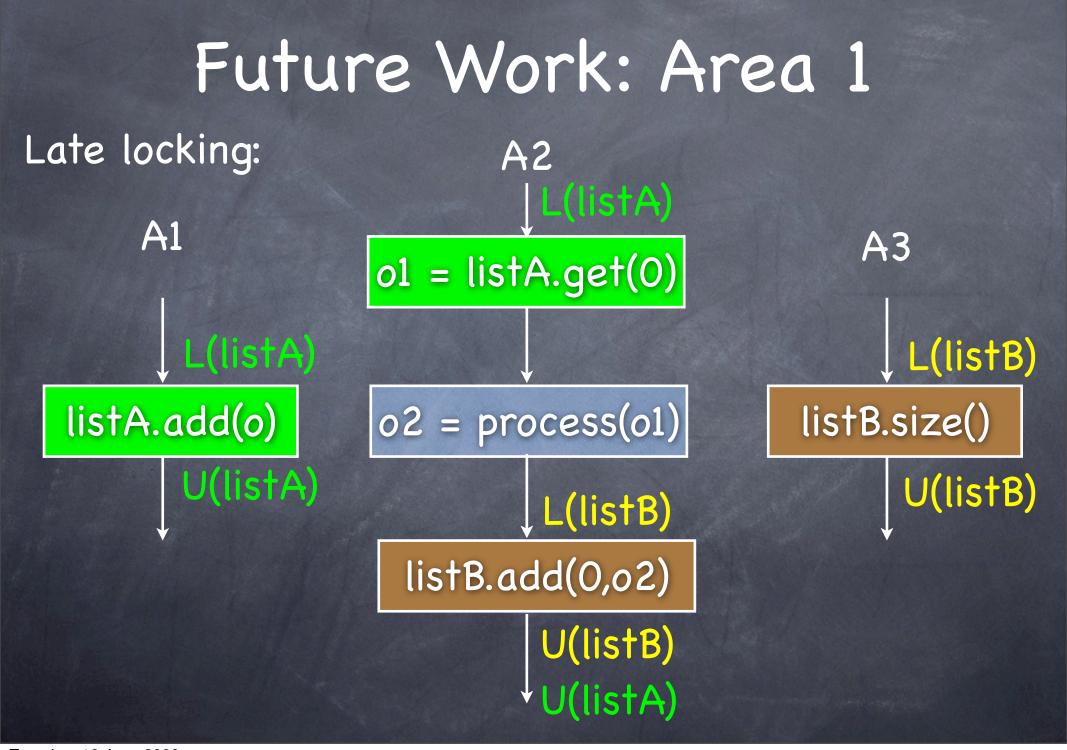
 Existing work either:
 Serialises whole atomics [Halpert07, Zhang07, Cherem08, Hicks06]
 Serialises upto a conflict [Cunningham08]
 Serialises after a conflict [McCloskey06, Emmi07]

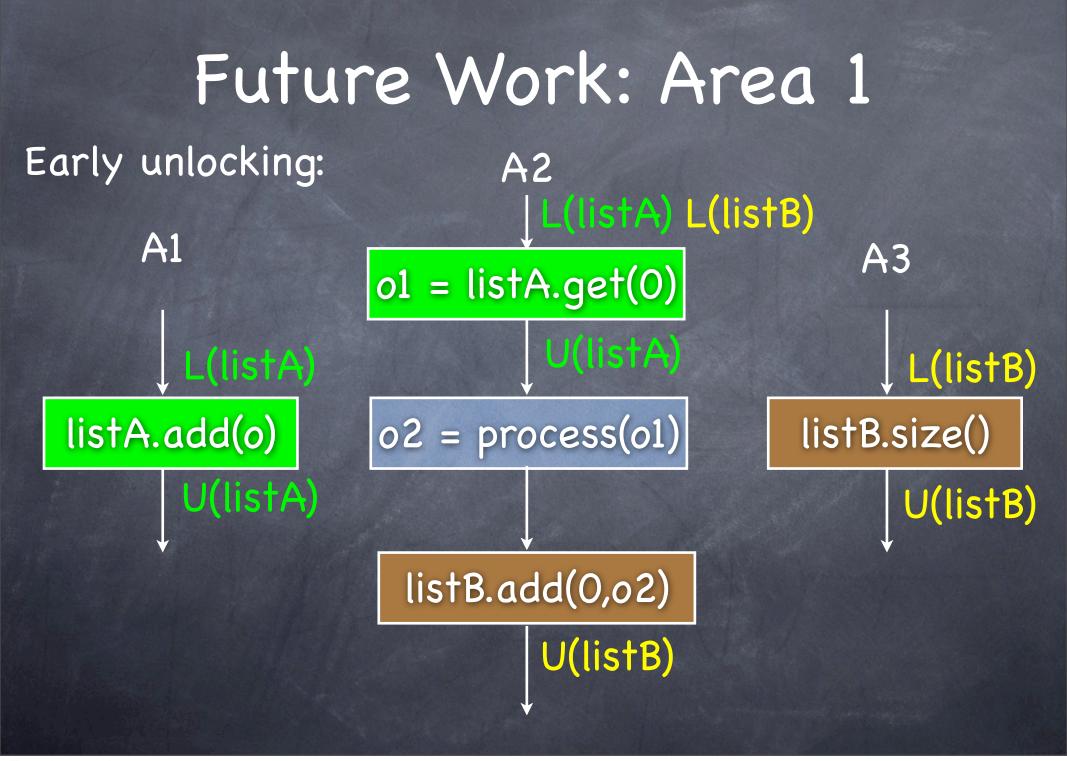
Two-phase locking can be too restrictive and thus hamper concurrency unnecessarily

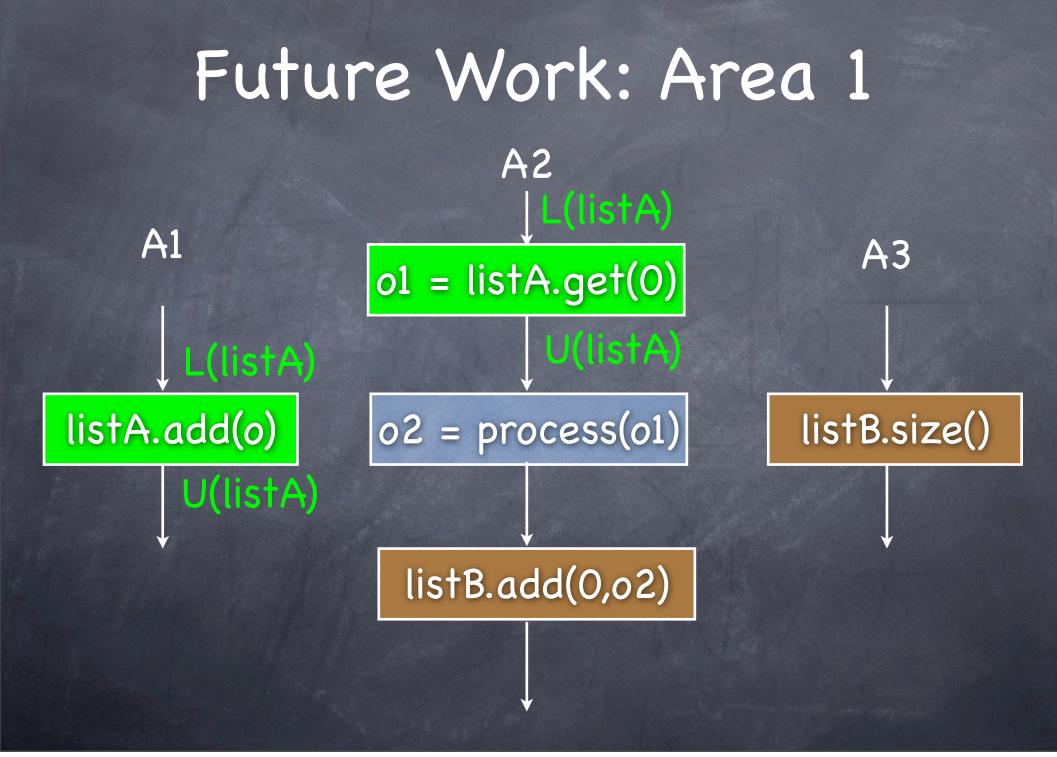


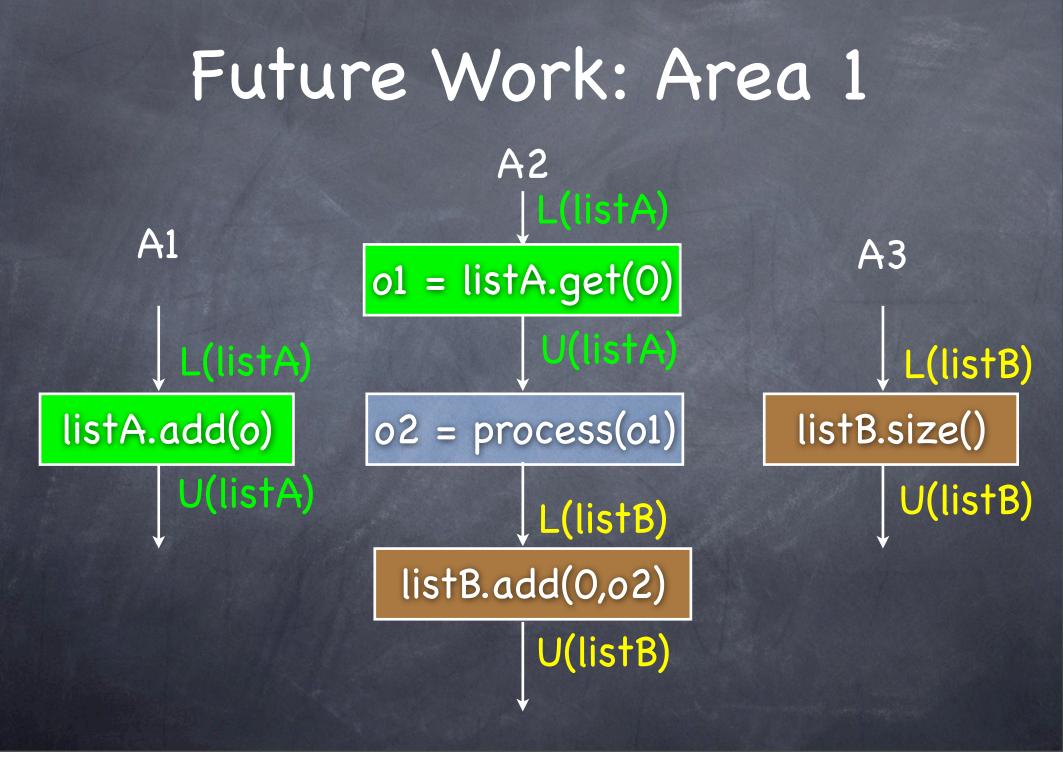


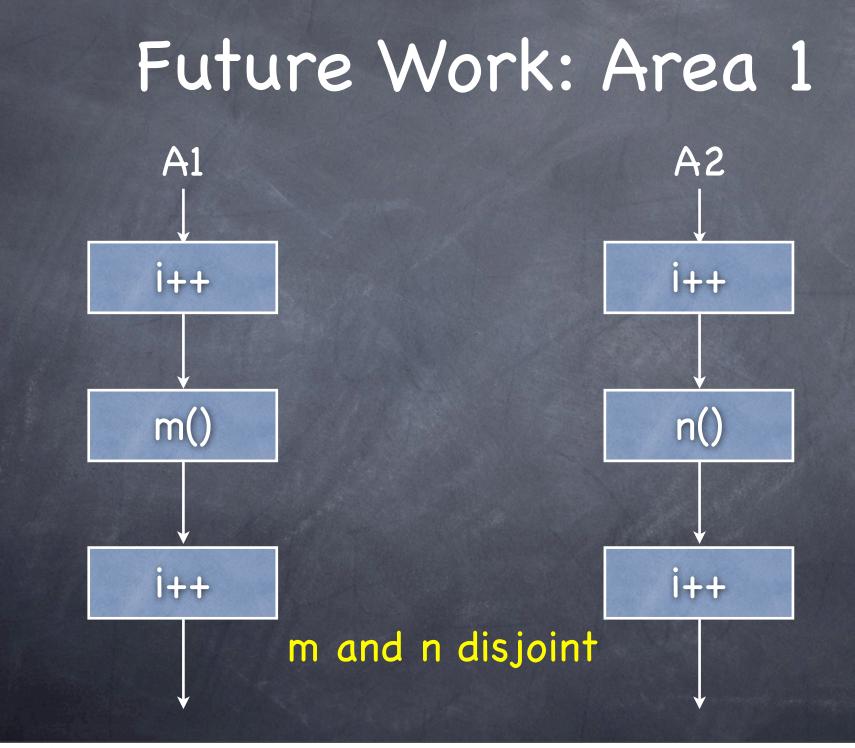


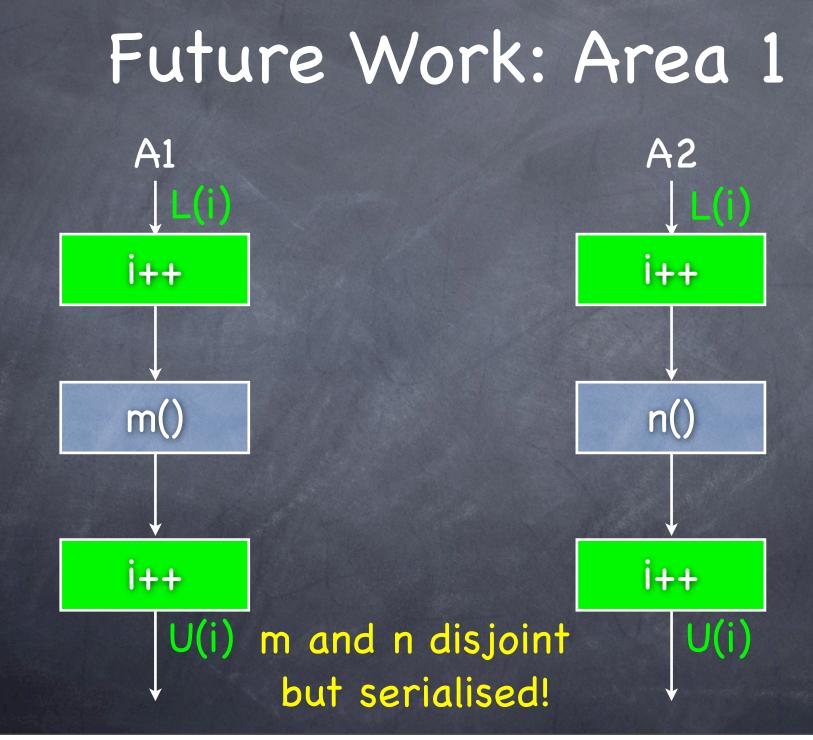


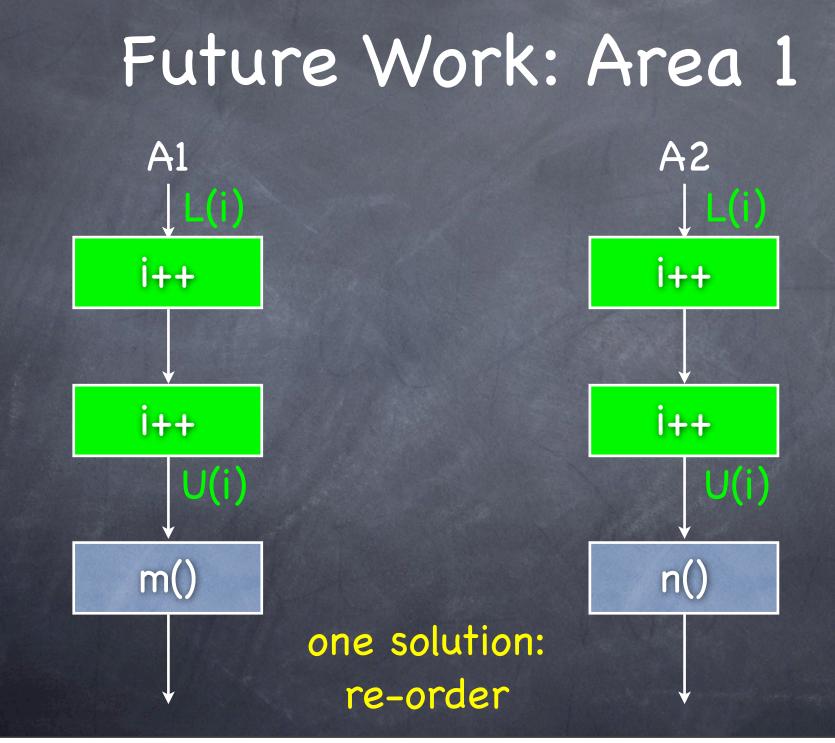












#### Future Work: Area 2 Area 2: concurrent accesses to arrays: e.g. parallel map function: for (int i=0; i<numChunks; i++) {</pre> spawn { int start = i\*chunkSize; int end = start+chunkSize; for (int j=start; j<end; j++) {</pre> atomic { a[j] = f(a[j]);}

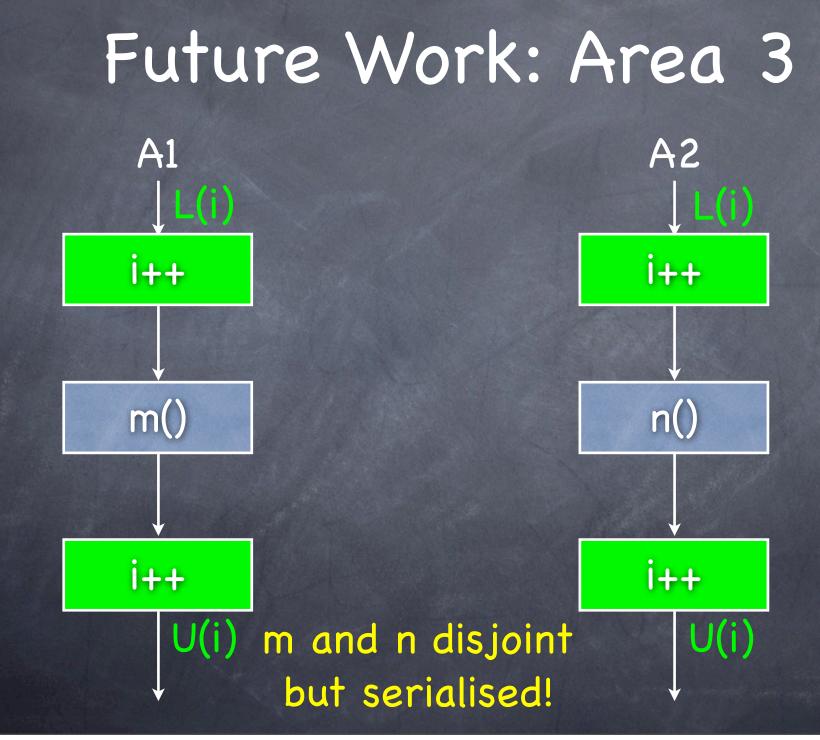
## Future Work: Area 3

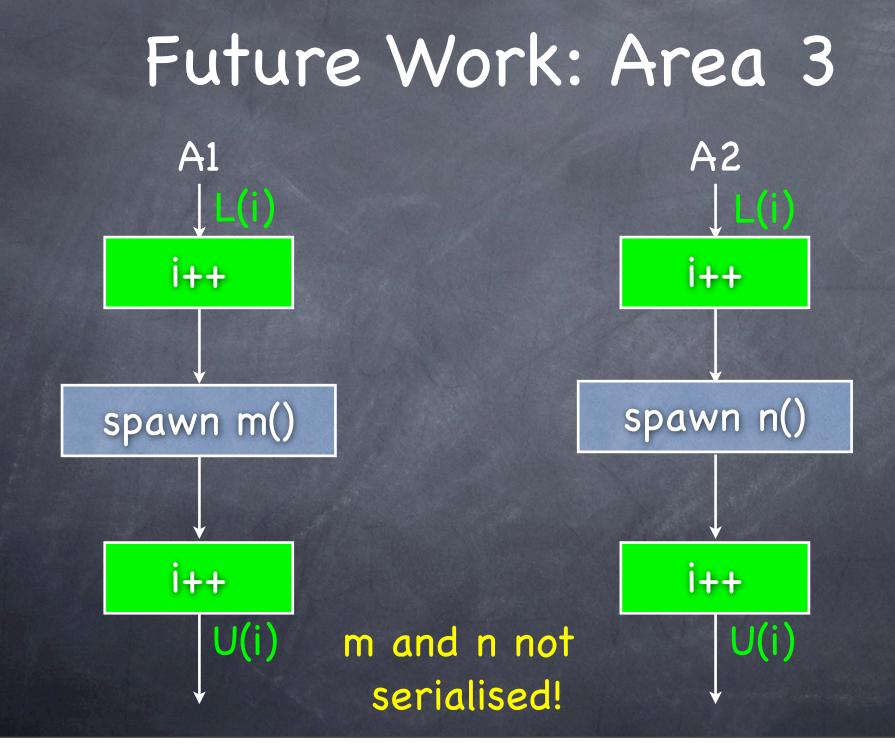
Area 3: allow the use of multi-threaded code within atomic sections

Amdahl's law, composability

Support a spawn construct inside atomic { }

Could also use to automatically improve the performance of atomic sections





## Future Work: Area 4

 Area 4: consider a hybrid implementation with transactional memory

Benefit of transactional memory's high concurrency

Reduce run-time overhead and allow irreversible operations using locks

## Related work

- Philosophy of approach
   Top down [Zhang07, Halpert07]
   Bottom up
   [McCloskey06, Hicks06, Emmi07, Cunningham08, Cherem08]
- Compile-time representation of objects: Abstract objects [Hicks06, Halpert07]
   Lvalues
   [McCloskey06, Hicks06, Emmi07, Cunningham08, Cherem08]
- Granularity of locks:
   Fine [McCloskey06, Emmi07, Halpert07]
   Coarse [Hicks06, Halpert07, Zhang07]

## Related work

The specific two-phase locking policy:
 Basic [Hicks06, Zhang07, Halpert07, Cherem08]
 Late locking [McCloskey06, Emmi07]
 Early unlocking [Cunningham08]

Deadlock avoidance:
 Static [McCloskey06, Hicks06, Emmi07, Zhang07, Halpert07]
 Dynamic [Cunningham08, Cherem08]

## Conclusion

My thesis:

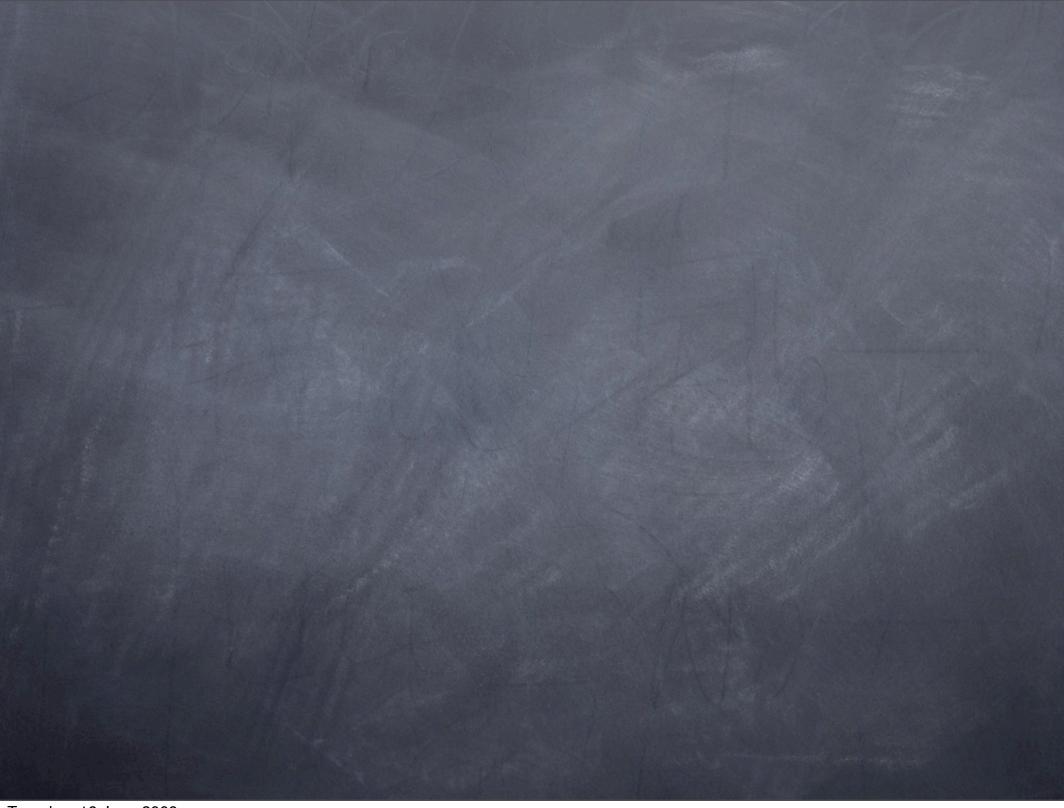
Implement atomic using locks
Maximise concurrency between atomics
Be able to handle a real language

## Questions?

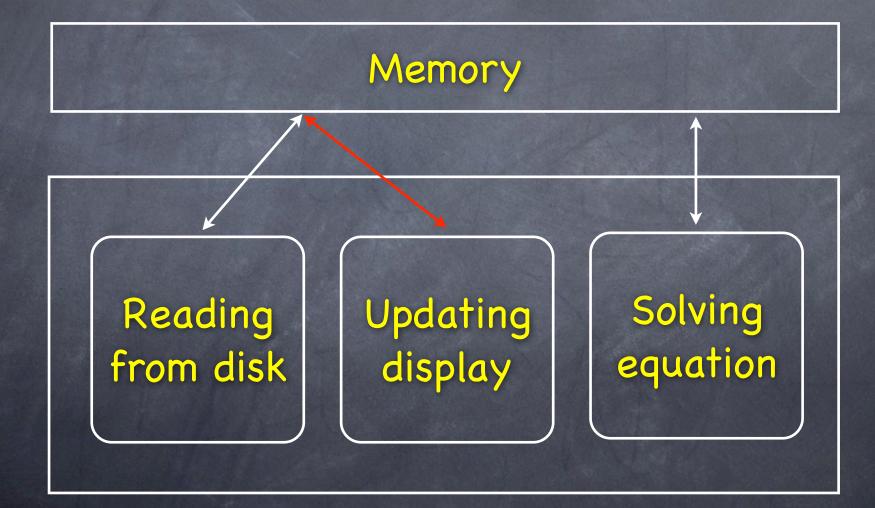
"The most likely way for the world to be destroyed, most experts agree, is by accident. That's where we come in; we're computer professionals. We cause accidents."

Nathaniel Borenstein (co-creator of MIME)

We need better abstractions!

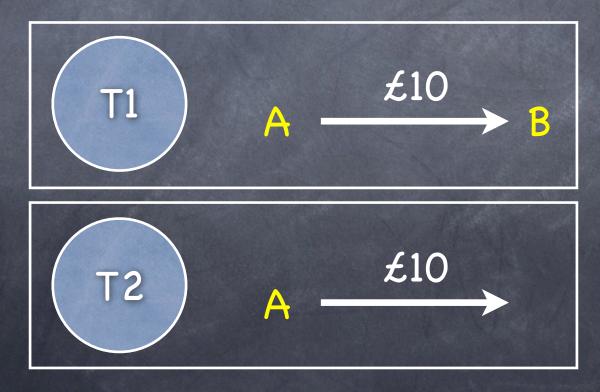


# The problem: shared memory



## Bank account example





Method that transfers money between accounts, if sufficient funds are available: void transfer(Acct A, Acct B, int amt) { int bal = A.getBalance(); if (amt <= bal) { A.withdraw(amt); B.deposit(amt);
 }
}

Time	T1	T2	A	B
1	Check A`s balance		<b>£10</b>	<b>£</b> 10
2				
3				
4	Deposit £10 into B		-£10	£20

Time	T1	T2	A	B
1	Check A`s balance		<b>£10</b>	<mark>£10</mark>
2		Withdraw £10 from A	<mark>£0</mark>	£10
3				
4	Deposit £10 into B		-£10	£20

Time	T1	T2	A	B
1	Check A`s balance		<b>£</b> 10	<b>£</b> 10
2		Withdraw £10 from A	<b>£0</b>	<b>£</b> 10
3	Withdraw £10 from A		-£10	£10
4	Deposit £10 into B		-£10	£20

Time	T1	T2	A	B
1	Check A`s balance		<b>£</b> 10	£10
2		Withdraw £10 from A	<b>£</b> 0	£10
3	Withdraw £10 from A		-£10	£10
4	Deposit £10 into B		-£10	£20

# Bank account (locks) Second attempt:

void transfer(Acct A, Acct B, int amt) {
 synchronized(A) {
 synchronized(B) {
 int bal = A.getBalance();
 if (amt <= bal) {
 A.withdraw(amt);
 B.deposit(amt);
 }
 }
 }
}</pre>

The new implementation has introduced the possibility of deadlock:

transfer(A, B, 10) || transfer(B, A, 20)

Time	T1	T2
1	lock A	
2		lock B
3	lock B	
4	waiting	lock A
5	waiting	waiting

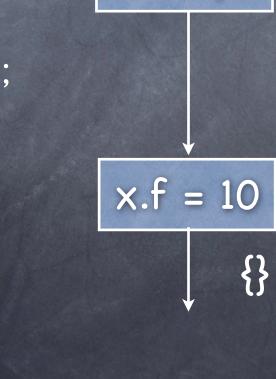
X = Y

x.f = 10

atomic { x = y; x.f = 10;

X = Y

atomic { x = y; x.f = 10;



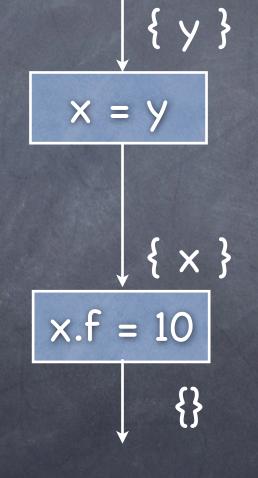
atomic { x = y; x.f = 10;

X = Y{ x } x.f = 10 {}

atomic { x = y; x.f = 10;

{ y } x = y{ x } x.f = 10 {}

atomic { x = y; x.f = 10;

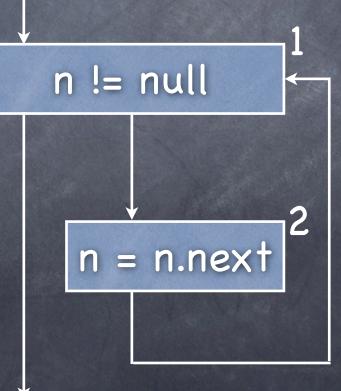


# synchronized(y) { x = y; x.f = 10; }

## Problems with iteration

How many objects accessed?

atomic {
 while (n != null) {
 n = n.next;
 }



## Problems with iteration

How many objects accessed?

